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1. 1 to 16 – Mid Term
2. 17 to 54- Final Term

MD IFTAKHAR KABIR SAKUR

25th BATCH

COMPUTER AND COMMUNICATION ENGINEERING

International Islamic University Chittagong

COURSE CODE: CCE-4829

COURSE TITLE: Machine Learning

COURSE TEACHER:

Adjunct Faculty

Computer and Communication Engineering

Compiler

Terminal: যে কিসমতুলো পরিবর্তন করা যায় না।

অর্থাৎ, replace করা না হলে Terminal।

S → AB.
A → a
B → b → Terminal

Non-Terminal: যে কিসমতুলো পরিবর্তন করা যায়

অর্থাৎ, replace করা যায় তবে Non-Terminal বলে।

Need of Symbol Table

→ Used to manage information about identifiers

(such as variables, functions & constants) encountered during the compilation or interpretation process.

(1) Identifier Management & Stores information including their names, types, scopes & memory location.

(2) Scope Resolution - maintain the scope hierarchy and allow efficient lookup & resolution of identifiers.

(3) Type checking

Helps to check & ensure that operations involving identifiers are semantically valid.

(4) Memory management:- Tracks memory

locations & enable efficient memory management.

(5) Error Detection & Reporting

Facilitate error detection & reporting during the compilation or interpretation process.

(6) Optimization:- Compiler can optimize the generated code for improved performance & efficiency through symbol tables.

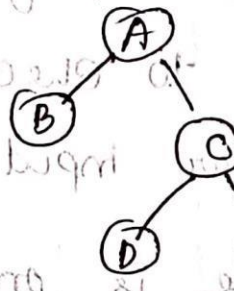
Derivation of Grammar, parse Tree

⇒ parse Tree

A parse tree or derivation tree is an ordered rooted tree that graphically represents the semantic information of a string derived from a context free grammar.

(The string and its graphical representation or parse tree)

more than one parse tree for a string



Interior Node

[Non-Terminal left side]

Leaf Terminal / G

Ambiguous Grammar

Same Grammar can have different parse trees

Ambiguous Grammar Example

For Grammar G , for some string $w \in L(G)$

There are two parse trees for w



$2 * 2 + 2 \leftarrow 2$
 $2 * 2 + 2 \leftarrow 2$
 $2 * 2 + 2 \leftarrow 2$
 $2 * 2 + 2 \leftarrow 2$

$2 + 2 \leftarrow 2$
 $2 + 2 \leftarrow 2$
 $2 * 2 + 2 \leftarrow 2$
 $2 * 2 + 2 \leftarrow 2$

Used left derivation trees for some strings of grammar

DFA / NFA

Automata:- A machine or program that run on a given input to check whether the input is a regular input or not.

DFA:- Where there is only one possibility

NFA:-

Ambiguous or not:- More than one \rightarrow Ambiguous
Exactly one \rightarrow Unambiguous

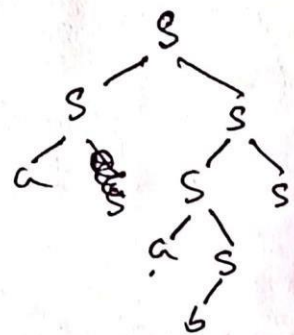
Ex:- $G = (\{S\}, \{a, b, *\}, P, S)$

Where P consists of $S \rightarrow S+S \mid S^*S \mid a \mid b$

The string $a+a^*b$ can be generated as:-

Ans:-

$S \rightarrow S+S$	$S \rightarrow S^*S$
$\rightarrow a+S$	$\rightarrow a^*S+S^*S$
$\rightarrow a+S^*S$	$\rightarrow a+S^*S$
$\rightarrow a+a^*S$	$\rightarrow a+a^*S$
$\rightarrow a+a^*b$	$\rightarrow a+a^*b$



Used left derivation trees And got same result. So the grammar is ambiguous

② $S \rightarrow AB$

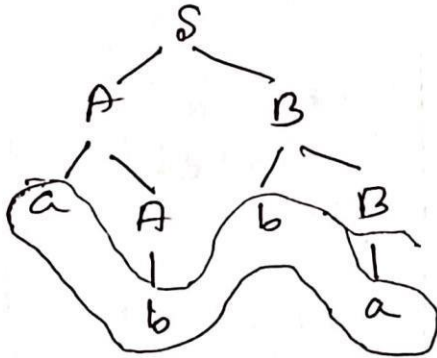
$A \rightarrow aA|b$

$B \rightarrow bB|a$

word: abba

$S \rightarrow AB$

\rightarrow

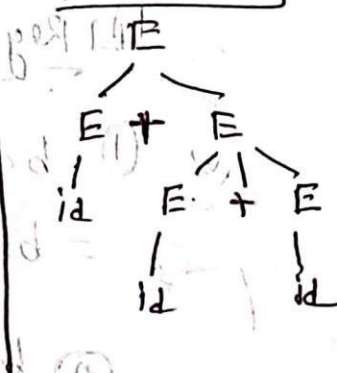
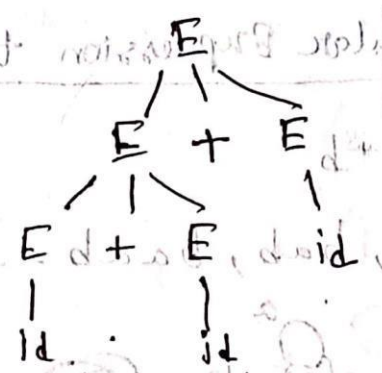


③ $E \rightarrow E + E | id$

$w \rightarrow id + id + id$

Tree-1

Tree-2



As there are 2 different trees it is

Unambiguous.

* $x \rightarrow x + x | x * x | a$

$w = a + a * a$

- $x \rightarrow x + x$
- $\rightarrow x + x * x$
- $\rightarrow a + x * x$
- $\rightarrow a + a * x$

$a + a * a$

$n \rightarrow n^*n$

$\rightarrow n + n^*n$

$\rightarrow a + n^*n$

$\rightarrow a + a^*n$

$\rightarrow a + a^*a$

is Ambiguous.



Regular Expression to Finite Automata:-

① ba^*b

= $bb, bab, baab$

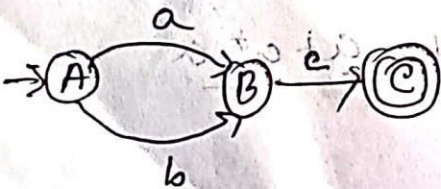
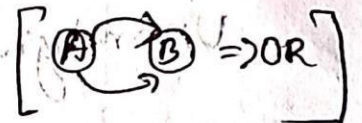


- ① Whenever closer, a^* make self loop
- ② Whenever $\&$ operation make straight state

② $(a+b)c$

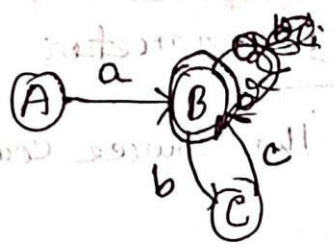
[+ symbol \rightarrow OR]

Strings: $\{ac, bc\}$

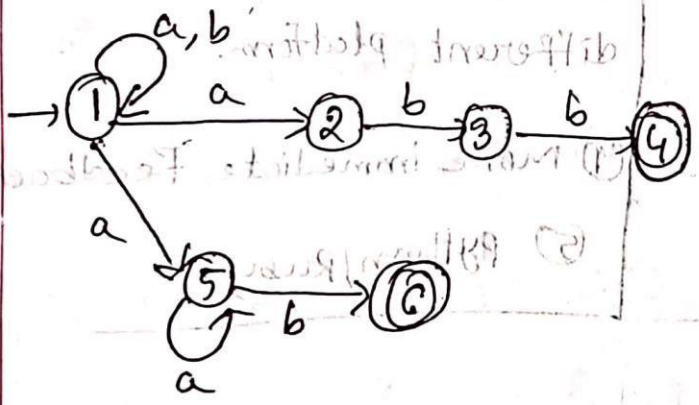


It means be can be equal to zero or less more
 So, a, abc, abcbe, abcbebe

③ $a(bc)^*$

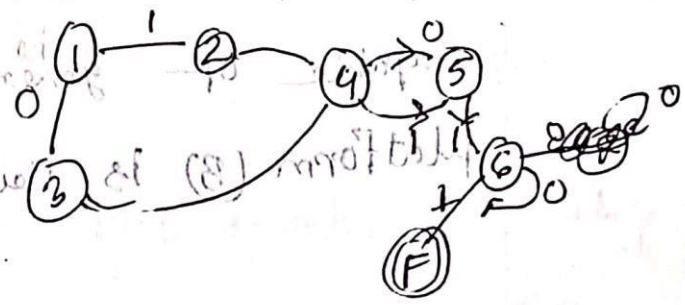
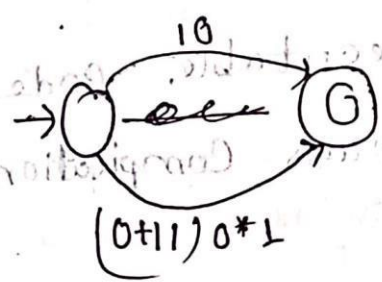


④ $(a|b)^* (abb|a^*b)$



[equal to '+']
 $a^+ = \{a, aa, aaa, \dots\}$
 $a^* = \{\epsilon, a, aa, aaa, \dots\}$

⑤ $10 + (0+11)0^*1$



Compiler vs Interpreter

Compiler	Interpreter
<p>① Translates entire source code</p>	<p>① Reads the source code line by line.</p>
<p>② Compilation happens before execution.</p>	<p>② It happens in runtime.</p>
<p>③ Particular hardware/software</p>	<p>③ Can be executed on different platform.</p>
<p>④ Debugging challenging</p>	<p>④ More immediate feedback.</p>
<p>⑤ C, C++, Rust</p>	<p>⑤ Python, Ruby</p>

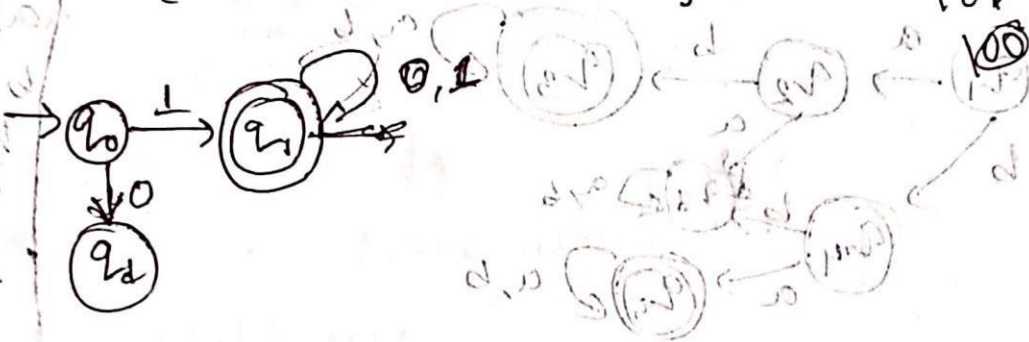
Cross Compiler

A compiler that's run on platform (A) & is capable of generating executable code for platform (B) is called a cross compilation.

DFA:

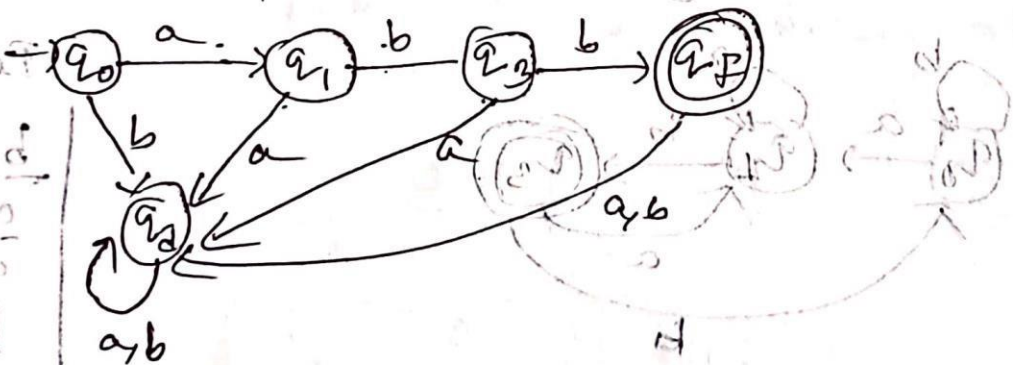
$\Sigma = \{0, 1\}$

$L = \{w|w \text{ start with } 1\}$



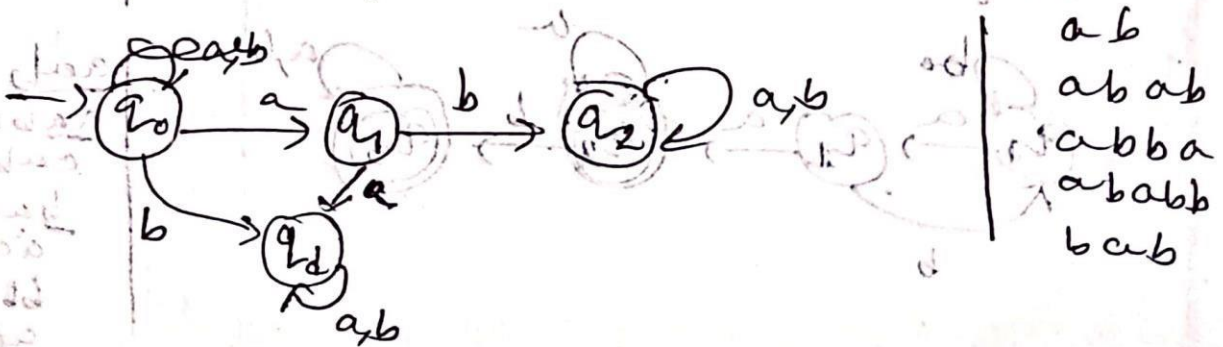
$\Sigma = \{a, b\}$

$L = \{w|w \text{ accept only } abbb\}$



$\Sigma = \{a, b\}$

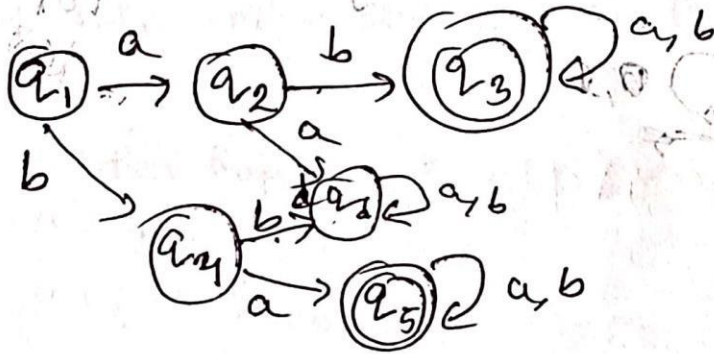
$L = \{w|w \text{ only accept which starts with } ab\}$



- ab
- abab
- abba
- ababb
- bab

* $\Sigma = \{a, b\}$

$L = \{w \mid w: \text{Only accept which starts with } \underline{ab} \text{ or } \underline{ba}\}$

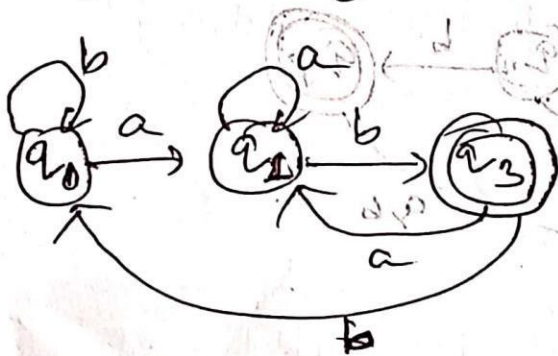


Test case

- abba
- baab
- baba
- abab
- aaa
- bbb
- aab
- bba

* $\Sigma = \{a, b\}$

$L = \{w \mid w: \text{only accept which ends with } \underline{ab}\}$

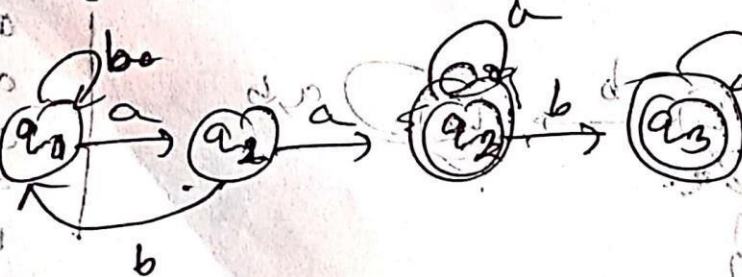


Test case

- bab
- aab
- abab
- baab
- aaab
- bbab
- abaab
- bbab

* $\Sigma = \{a, b\}$

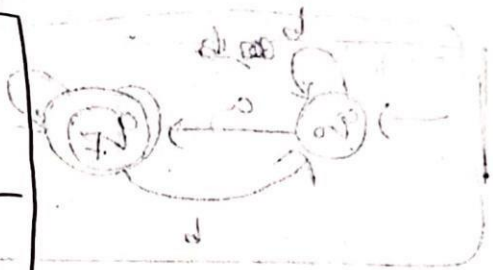
$L = \{w \mid w \text{ accept contain } \underline{aab}\}$



- aab
- aaba
- aabb
- baab
- aabb
- bbaaab
- aaaab

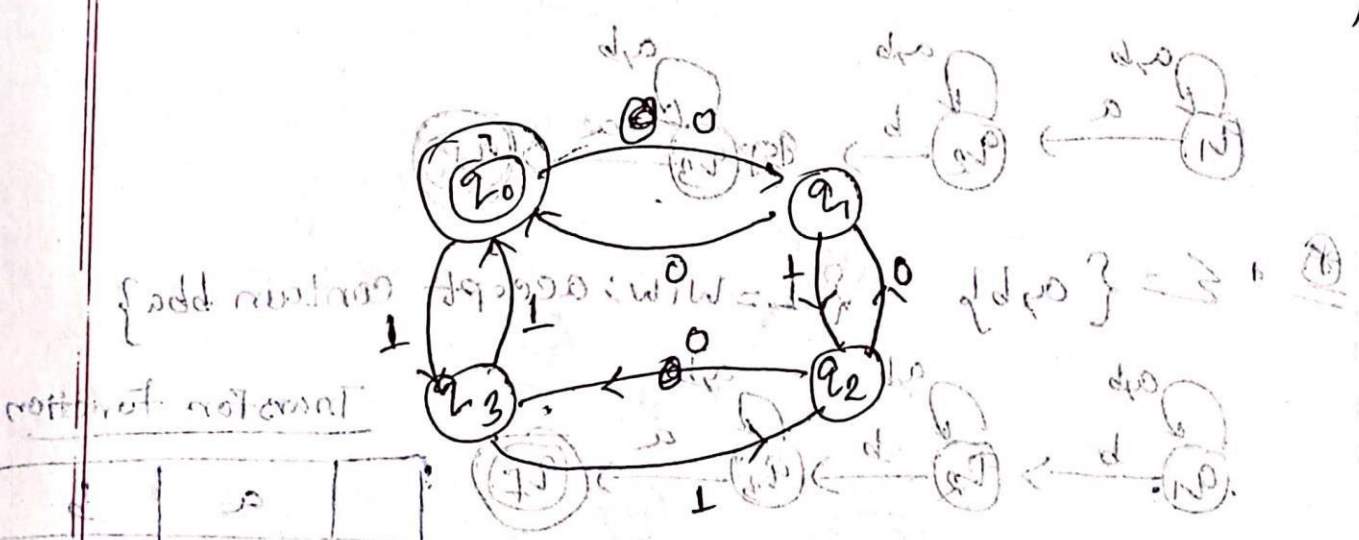
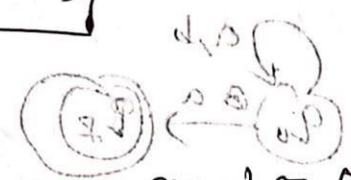
→ does not contain ϵ , $\{0,1\}$ same language (फ़ाइनल)
 But Final state ϵ का $\{0,1\}$ Final state
 सिद्ध - Count ϵ शून्य।

Regular Expressions
 (+) ϵ → divide
 ϵ → state ϵ
 ϵ → self loop



$\Sigma = \{0, 1\}$

$L = \{w \mid w \text{ accept even number of } 0's \text{ \& } 1's\}$
 = even number of $\{0,1\}$

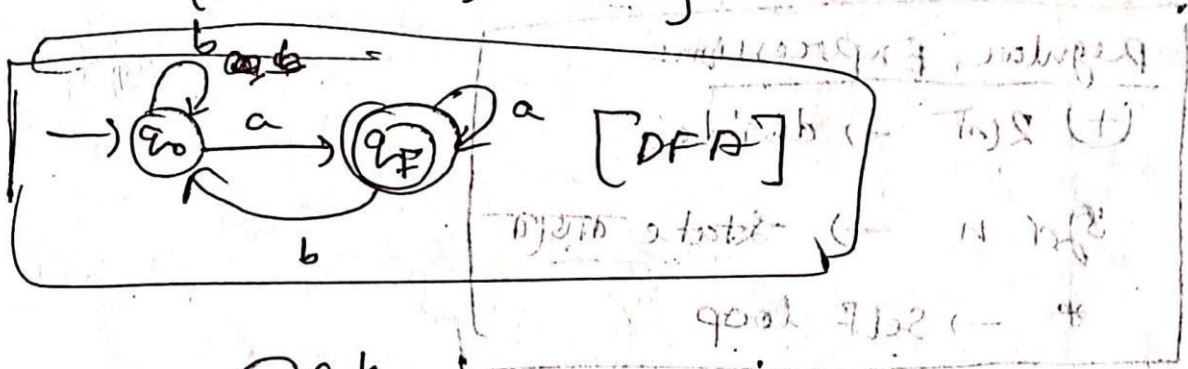


	0	1
q0	q0	q3
q1	q1	q2
q2	q3	q1
q3	q0	q2

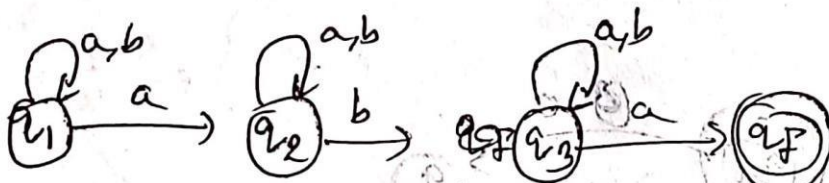
NFA

$\Sigma = \{a, b\}$

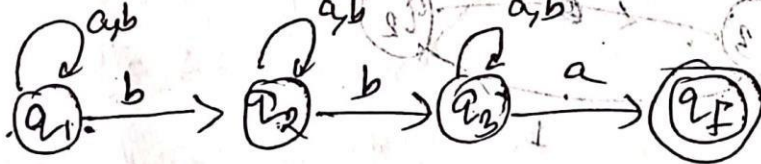
$L = \{w|w \text{ ends with } a\}$



$\Sigma = \{a, b\}$ and $L = \{w|w, \text{ ends with } \underline{aba}\}$



$\Sigma = \{a, b\}$ and $L = \{w|w; \text{ accept contain } bba\}$

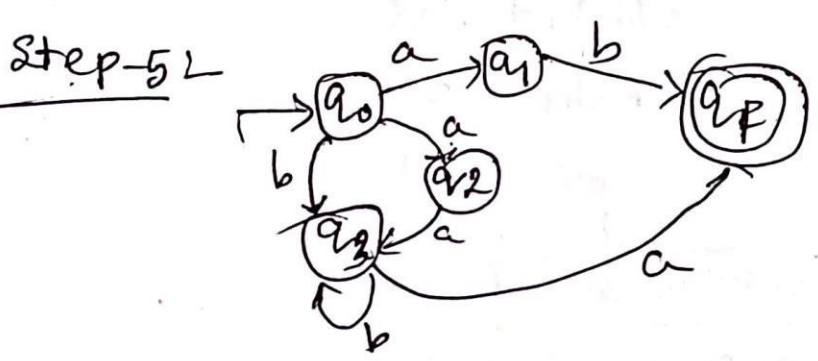
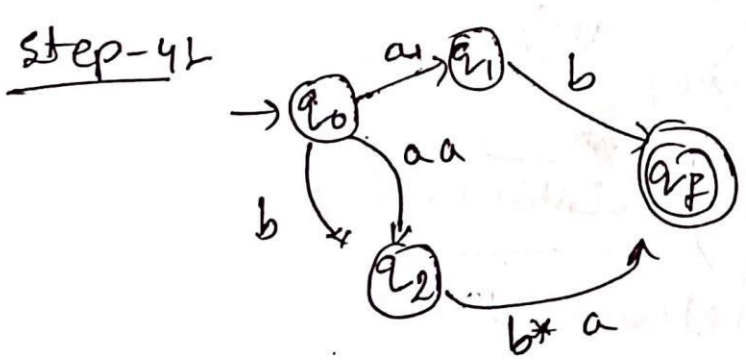
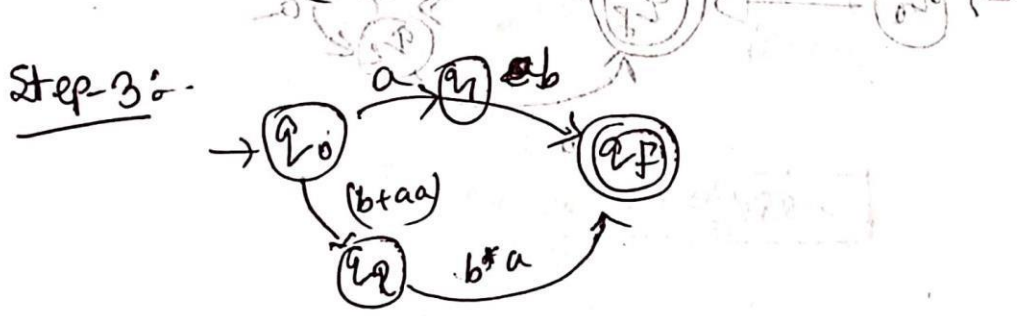
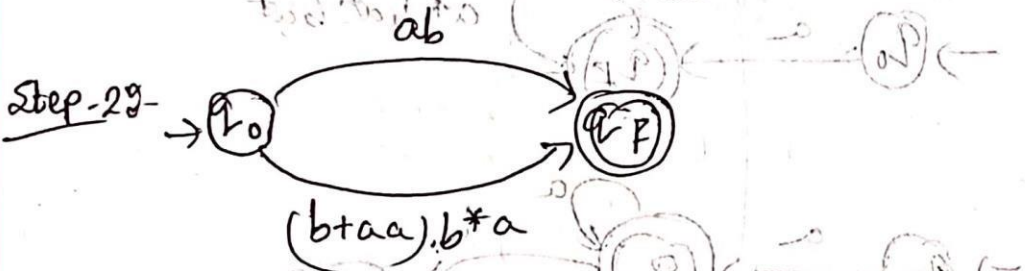
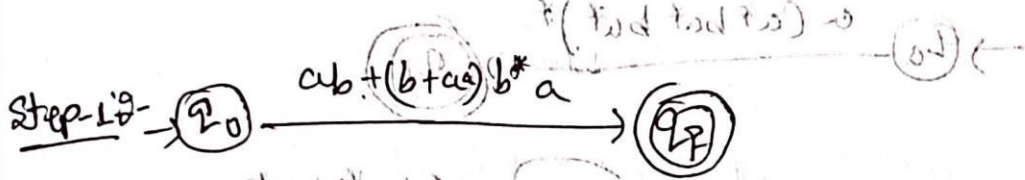


Transition Function

	a	b
q1	q1	q2, q1
q2	q2	q2, q3
q3	---	---
qf	---	---

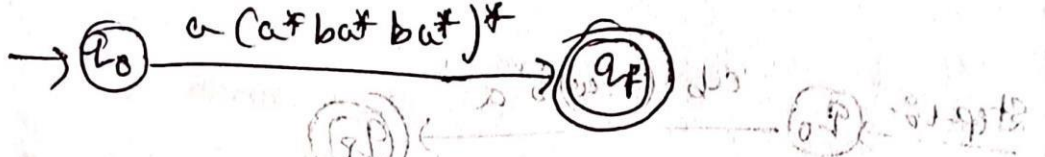
Regular Expression :- $(a|b)^*$ Example

~~ab~~ $[ab + (b+aa)b^*a]$



Example-02 - $[a(a^*ba^*ba^*)^*]$

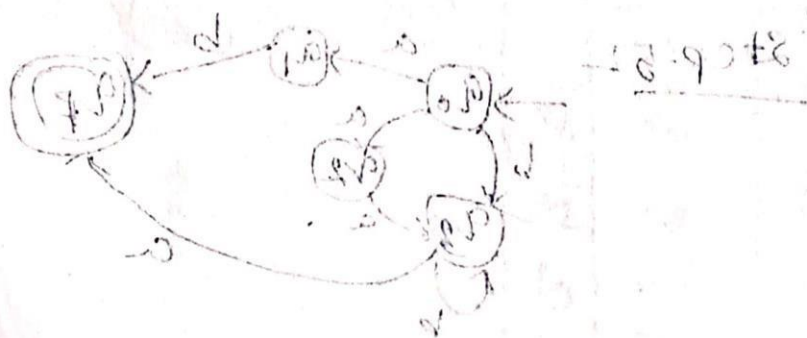
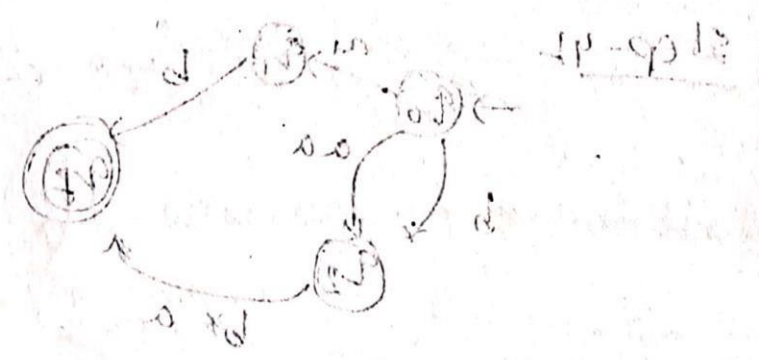
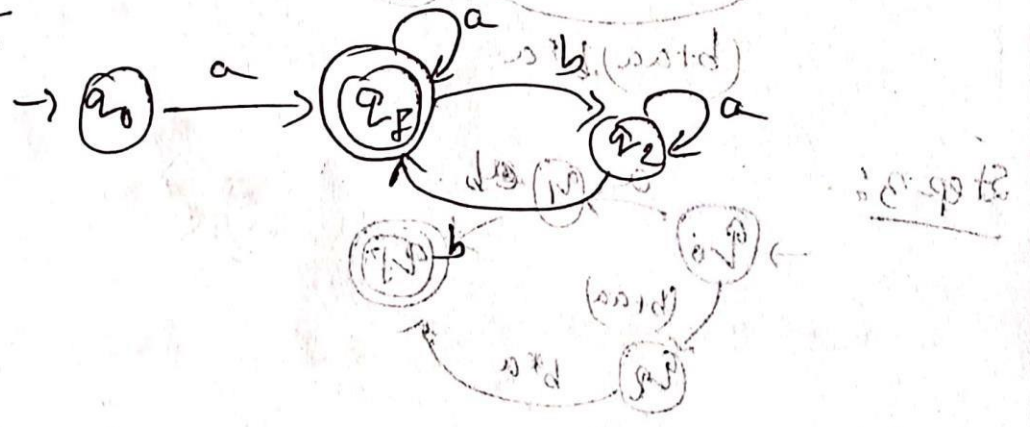
Step-1



Step-2



Step-3



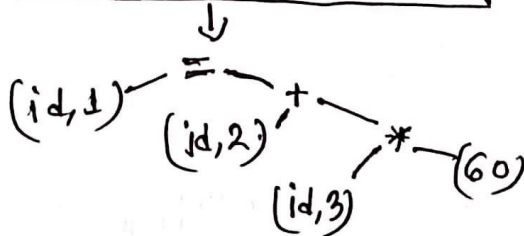
Translation of an assignment Statement :-

⇒ Position = initial + state * 60

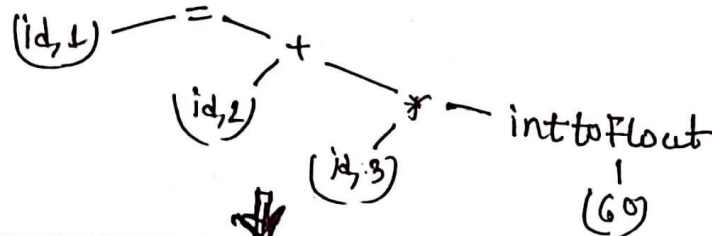
↓
Lexical Analyzer

{id,1} (=) {id,2} + {id,3} (*) (60)

↓
Syntax Analyzer



↓
Semantic Analyzer



↓
Intermediate Code Generator

↓
 $t_1 = \text{inttoFloat}(60)$

$t_2 = t_1 * \text{id}_3$

$t_3 = \text{id}_2 + t_2$

$\text{id}_1 = t_3$

↓
Code Optimizer → Code Generator

$t_1 = \text{id}_3 * 60.0$

$\text{id}_1 = \text{id}_2 + t_1$

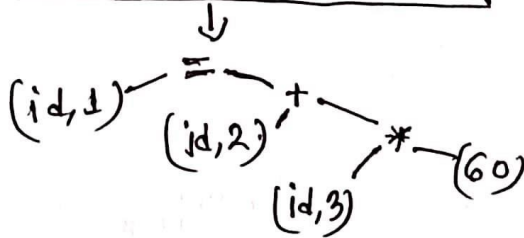
Translation of an assignment Statement :-

⇒ Position = initial + state * 60

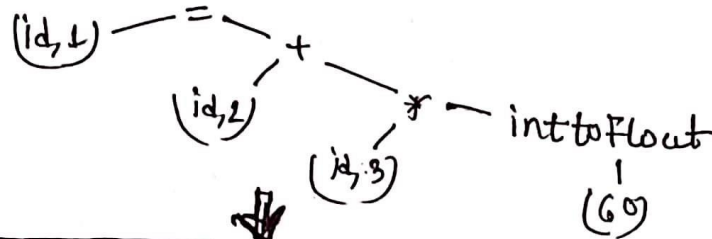
↓
Lexical Analyzer

{id,1} (=) {id,2} (+) {id,3} (*) (60)

↓
Syntax Analyzer



↓
Semantic Analyzer



↓
Intermediate Code Generator

t1 = inttoFloat(60)

t2 = t1 * id3

t3 = id2 + t2

id1 = t3

↓
Code Optimizer → **Code Generator**

t1 = id3 * 60.0

id1 = id2 + t1



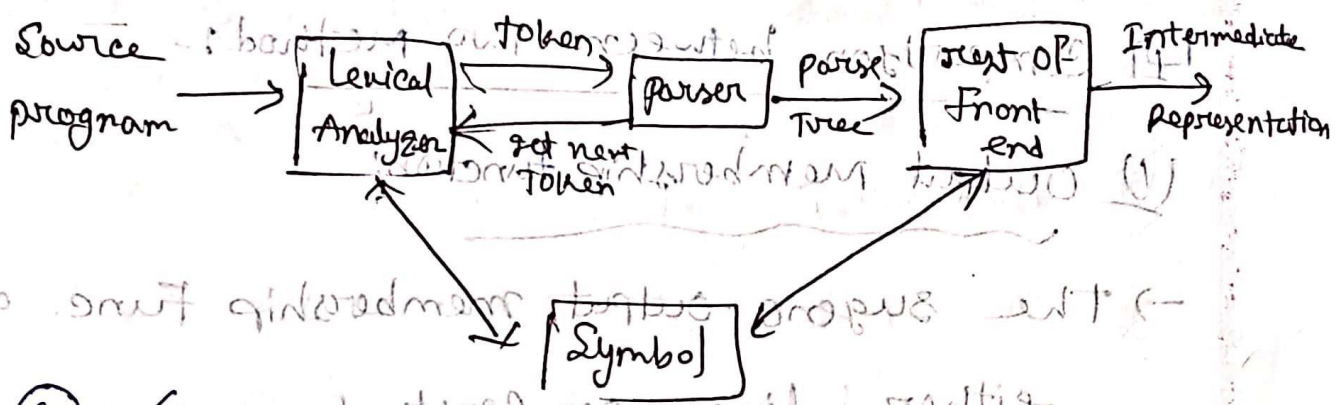
**KEEP
CALM
ITS TIME FOR THE
FINAL
EXAM**

Compiler (FINAL)

Parser:

→ Compiler or interpreter component that breaks data into smaller elements for easy translation into another language.

→ Takes input in the form of a sequence of tokens & usually builds a data structure in the form of a parse tree.



Error Recovery Strategies:

4 types:

- ① Panic mode
- ② phrase level
- ③ Error production
- ④ Global correction

① Panic Mode

→ Simplest method to implement & can be used by most parsing method.

→ ~~can~~ if error is discovered, the parser discards input symbol one at a time until one of a designated set of synchronizing tokens is found.

② Phrase Level

→ Error ~~can~~, parser may perform local correction on the remaining input.

→ May replace prefix of the remaining input by some string that allows the parser to continue.

③ Error Production

→ Common error can occur.

→ Designer can create augmented grammar to be used. As productions that generate erroneous constructs when these errors are encountered.

④ Global Correction

→ Few changes, as possible for incorrect input string.

→ Choosing a minimal sequence of changes to obtain a globally least cost connection.

→ Too costly to implement

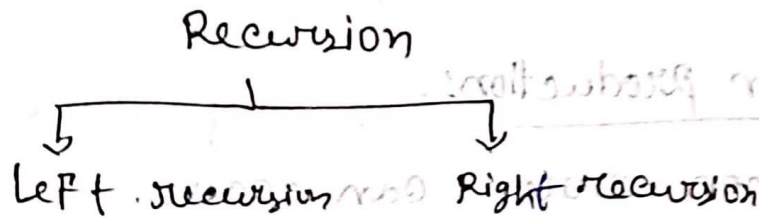
→ So, these are theoretical.

Algorithm of the left recursion:

Ex1- $P \rightarrow P + Q \mid Q$

Ansul 2

Recursion - Function to call itself



$A \rightarrow A \alpha \mid B$

↓
Same

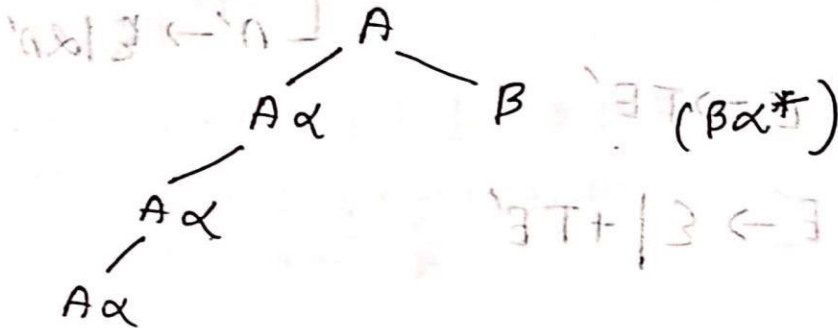
$B \rightarrow B \alpha \mid B$

↪
Same or LR

Ter. $\Phi \rightarrow$ Small Letter

(non-terminating Φ) Non Ter \rightarrow Capital ν

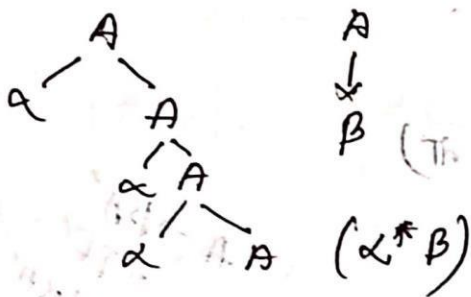
Ex: $A \rightarrow A\alpha | B$



(Same way same way \rightarrow left recursion.)

Right Recursion:

$A \rightarrow \alpha A | B$



(α TOP Down parsing)
 (The non-terminating TOP Down parser infinite call \rightarrow error \rightarrow use \rightarrow left Rec.)

Infinity \rightarrow error:

Formula: $A \rightarrow A\alpha | B$

Ex: $A \rightarrow A\alpha | B$

\Rightarrow [Target string $B\alpha^*$]
 $A \rightarrow BA$
 $A' \rightarrow \epsilon | \alpha A'$ \Rightarrow [New Formula]

Left recursion

Ex-
$$\frac{E \rightarrow E + T \mid T}{A \quad A \quad \alpha \quad \beta}$$

$$\left[\begin{array}{l} A \rightarrow A\alpha \mid \beta \text{ (Formula)} \\ A \rightarrow BA' \\ A' \rightarrow \epsilon \mid \alpha A' \end{array} \right.$$

Solution:- $(E \rightarrow TE')$

$$E' \rightarrow \epsilon \mid +TE'$$

Ex: ②
$$\frac{T \rightarrow T * F \mid F}{A \quad A \quad \alpha \quad \beta}$$

$$T \rightarrow FT'$$

$$T' \rightarrow \epsilon \mid *FT'$$

Ex: ③ $F \rightarrow (E) \mid id$

(Left recursion at)

Ex-4:
$$\frac{E \rightarrow E + T \mid T}{A \quad A \quad \alpha \quad \beta}$$

$$\frac{T \rightarrow T * F \mid F}{A \quad A \quad \alpha \quad \beta}$$

$$F \rightarrow (E) \mid id$$

\Rightarrow ~~$E \rightarrow E + T$~~ $E \rightarrow TE'$

$$E' \rightarrow \epsilon \mid +TE'$$

Again,

$$T \rightarrow FT'$$

$$T' \rightarrow \epsilon \mid *FT'$$

(Ex: 5) $S \rightarrow (L) \mid a \mid b$ (Left Recursion (not))

$$\frac{L}{A} \rightarrow \frac{L, S}{A} \mid \frac{S}{B} \mid \frac{b}{A} \mid \frac{a}{A} \mid \frac{a}{A}$$

Solution:-

$$L \rightarrow SL'$$

$$L' \rightarrow \epsilon \mid, SL'$$

(F) Formula of multiple left recursion

$$A \rightarrow A\alpha_1 \mid A\alpha_2 \mid \dots \mid A\alpha_m \Rightarrow A \rightarrow A\alpha \mid \beta$$

$$\beta_1 \mid \beta_2 \mid \beta_3 \mid \dots \mid \beta_n$$

$$A \rightarrow BA' \Rightarrow A \rightarrow \beta_1 A' \mid \beta_2 A' \mid \beta_3 A' \mid \dots \mid \beta_n A'$$

$$A' \rightarrow \epsilon \mid \alpha A' \Rightarrow A' \rightarrow \epsilon \mid \alpha_1 A' \mid \alpha_2 A' \mid \dots \mid \alpha_m A'$$

Ex-1: $A \rightarrow ABd \mid Aa \mid a$

$$\frac{A}{A} \rightarrow \frac{A \beta d}{A} \mid \frac{A a}{A} \mid \frac{a}{B}$$

$$A \rightarrow \alpha A'$$

$$A' \rightarrow \epsilon \mid \beta \alpha A' \mid \gamma A'$$

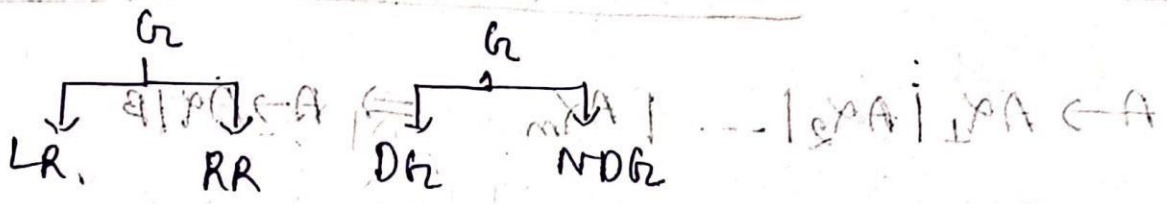
Ex: - 02

$$\frac{A}{A} \rightarrow \frac{AC}{A_1} \mid \frac{Aad}{A_2} \mid \frac{bd}{B_1} \mid \frac{C}{B_2}$$

$$A = b \alpha A' \mid C A'$$

$$A' = \epsilon \mid C A' \mid \alpha A'$$

Left Factoring



$$A \rightarrow \alpha B_1 \mid \alpha B_2 \mid \dots \mid \alpha B_n$$

$$\rightarrow A \rightarrow \alpha A'$$

[Common Prefix Extraction]

$$A' \rightarrow B_1 \mid B_2 \mid B_3 \mid B_4$$

$$\frac{\alpha}{\beta} \mid \frac{\alpha A}{\beta A} \mid \frac{\alpha B}{\beta B} \mid \frac{\alpha C}{\beta C} \mid \frac{\alpha}{\beta}$$

Ex-01:

$$S \rightarrow \underline{IEtS}$$

$$S \rightarrow \underline{IEtS} \mid a$$

$$E \rightarrow b$$

Formula:

$$A \rightarrow \alpha B_1 \mid \alpha B_2$$

$$A \rightarrow \alpha A'$$

$$A' \rightarrow B_1 \mid B_2$$

$$\Rightarrow S \rightarrow IEtS \mid a$$

$$S' \rightarrow \epsilon \mid \epsilon s \mid a$$

$$E \rightarrow b$$

Ex-02:

$$A \rightarrow \underline{cAB} \mid \underline{aA}$$

$$B \rightarrow \underline{bB} \mid \underline{b}$$

Solution:

$$A \rightarrow \underline{cA}$$

$$A' \rightarrow \underline{AB} \mid A$$

Ex-03:

$$A \rightarrow \underline{aAB} \mid \underline{aA} \mid \underline{a} \mid \underline{\epsilon}$$

$$A \rightarrow \underline{aA}$$

$$A' \rightarrow \underline{AB} \mid A \mid \epsilon$$

Ex:-04
$$\frac{E}{A} \rightarrow \frac{T}{\bar{A}} + \frac{E}{\bar{B}} \mid \frac{T}{\bar{\alpha}} \cdot \frac{\epsilon}{\bar{\beta}}$$

$E \rightarrow TE'$

$E' \rightarrow +E \mid \epsilon$

Ex-05:
$$\frac{S}{A} \rightarrow \frac{b}{\alpha} S \frac{a}{\beta} S \frac{a}{\beta} S \mid \frac{b}{\alpha} S S \frac{a}{\beta} S \frac{b}{\beta} \mid \frac{b}{\alpha} S \frac{b}{\beta} \mid \frac{a}{\beta} \cdot \frac{\epsilon}{\beta}$$

Step-1
 $S \rightarrow bSS' \mid a$

$S' \rightarrow \frac{Saas}{\alpha} \mid \frac{Sasb}{\alpha} \mid b$

Step-2:

$S \rightarrow bSS' \mid a$

$S' \rightarrow SaS'' \mid b \mid \epsilon$

$S'' \rightarrow aS \mid Sb$

$A \rightarrow CB \mid CA$

$A \rightarrow A$

$A \rightarrow BA \mid A$

$A \rightarrow CB \mid CA$

$B \rightarrow BA \mid B$

$A \rightarrow A$

$A \rightarrow BA \mid A$

□ Show the model of a non-recursive predictive parser:

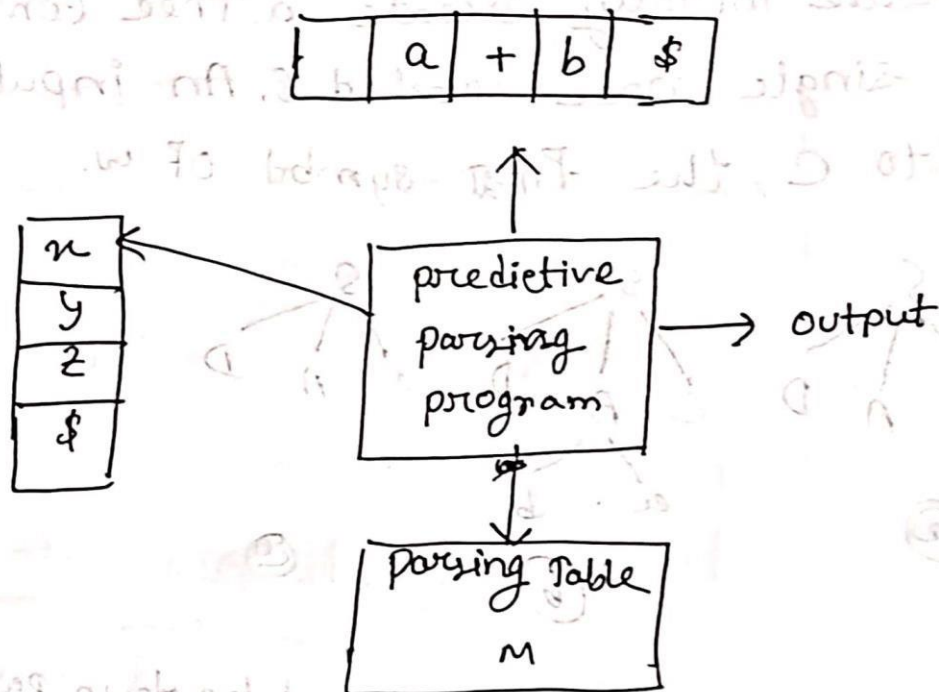


Fig:- A non-recursive predictive parser

□ Step of top-down parsing, Draw the position of the parser.

⇒ Consider the grammar

$S \rightarrow CA^d$

$A \rightarrow abla$

And the input, $w = cad$. To ~~construct~~ Construct the parse tree for this string top down, we ~~create~~ initially create a tree consisting of a single node labeled S . An input point to C ; the first symbol of w .

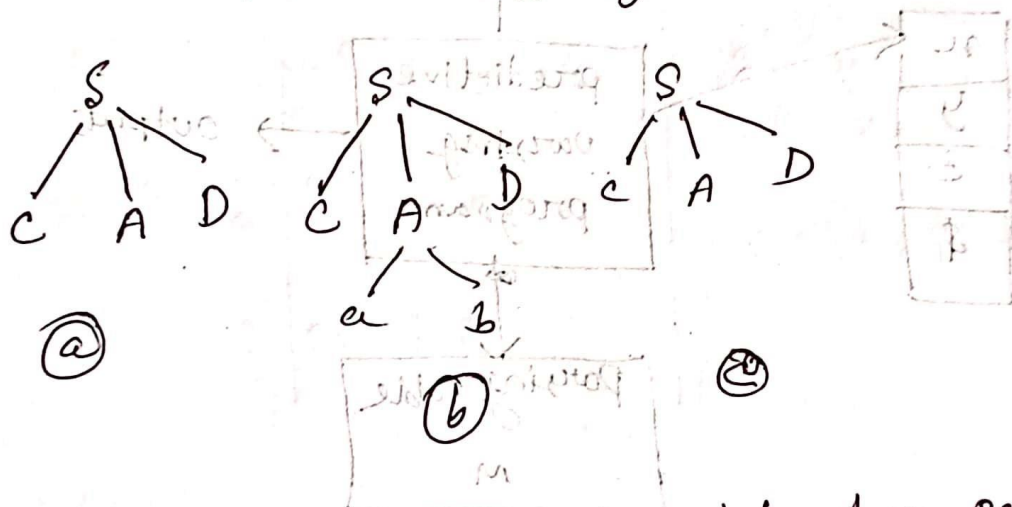


Fig. 1 Steps in the top-down parse

Topic: First & Follow

→ Left Recursion & Left Factoring

	FIRST	Follow
	{ a }	Follow

Rules: ~~FIRST~~ (FIRST)

$A \rightarrow aB$ → Terminal

$FIRST(A) = \{a\}$

$A \rightarrow a \quad \{a\}$

① $A \rightarrow a | \epsilon$

$A \rightarrow a$

$A \rightarrow \epsilon \quad \therefore FIRST(A) = \{a, \epsilon\}$

② $A \rightarrow (aB) | \epsilon$ → First \rightarrow terminal

$FIRST(A) = \{ (, \epsilon \}$ → Second \rightarrow First ϵ

$$\textcircled{3} A \rightarrow Ta$$

$$T \rightarrow *FT$$

$$\text{FIRST}(A) = \text{FIRST}(T)$$

$$= \{*\}$$

$$\textcircled{4} A \rightarrow T\epsilon$$

$$T \rightarrow *FT' \mid \epsilon$$

$$\text{FIRST}(A) = \text{FIRST}(T)$$

$$= \{*, \epsilon\}$$

$$= \{*, a\}$$

→ FIRST T NON-Terminal

FIRST(A) = FIRST(T) FIRST(T) = FIRST(*FT' | ε) = {*, ε}

FIRST(A) = FIRST(T) FIRST(T) = FIRST(*FT' | ε) = {*, ε}

ε ∈ FIRST(A) (1)

FIRST(A) = FIRST(T) FIRST(T) = FIRST(*FT' | ε) = {*, ε}

FIRST(A) = FIRST(T) FIRST(T) = FIRST(*FT' | ε) = {*, ε}

5

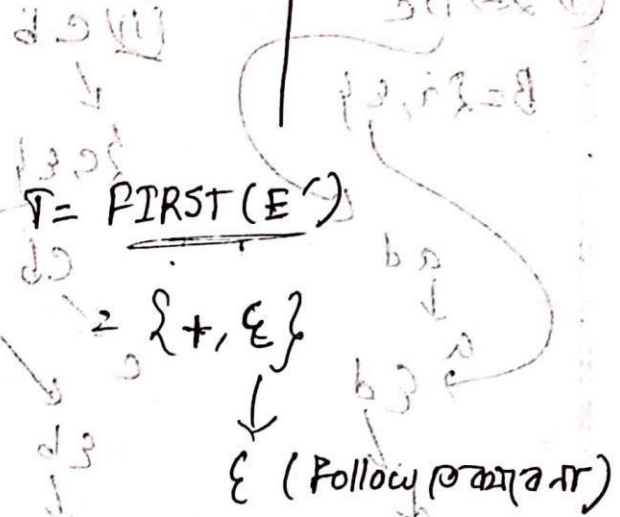
Follow(E) কাকে E' এর পরে আসে বলে

	FIRST	FOLLOW
$E' \rightarrow TE'$	$\{id, (\}$	$\{ \$,) \}$
$E' \rightarrow +TE' \epsilon$	$\{ +, \epsilon \}$	$\{ \$, \$,) \}$
$T' \rightarrow FT'$	$\{ id, (\}$	$\{ +, \$,) \}$
$T' \rightarrow *FT' \epsilon$	$\{ *, \epsilon \}$	$\{ +, \$,) \}$
$F \rightarrow id (E)$	$\{ id, (\}$	$\{ *, +, \$,) \}$

FOR

$FIRST(E) = TE'$
 \downarrow
 $FIRST(T) = FT'$
 \downarrow
 $FIRST(F) = \{id, (\}$

$FOLLOW(F) = FIRST(T')$
 $= \{ *, \epsilon \}$



Ex-02

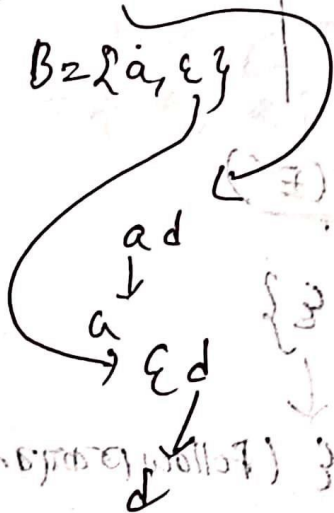
TRIP: 1

RIGHT S

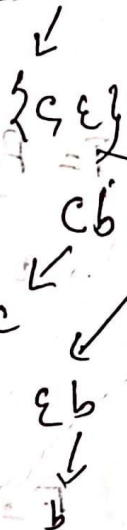
	FIRST	FOLLOW
$S \rightarrow Bbd \mid Cb$	$\{a, d, c, b\}$	$\{\$, \epsilon\}$
$B \rightarrow aB \mid \epsilon$	$\{a, \epsilon\}$	$\{d\}$
$C \rightarrow cC \mid \epsilon$	$\{c, \epsilon\}$	$\{b\}$

① $S \rightarrow Bd$

$B = \{a, \epsilon\}$



② Cb



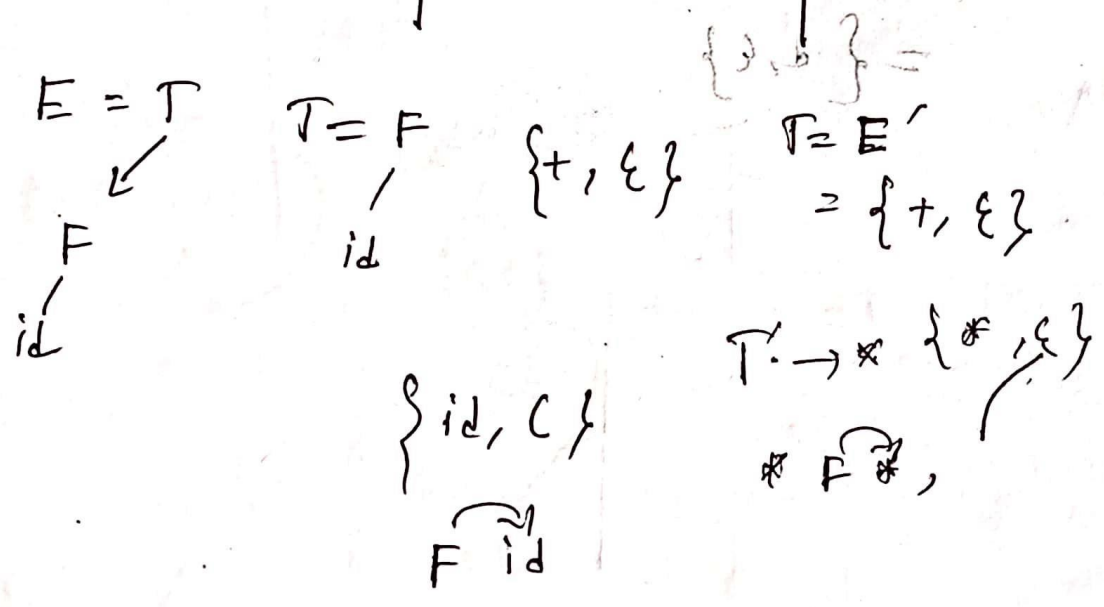
TRIP

$FIRST(\epsilon) = \{\epsilon\}$
 $FIRST(a) = \{a\}$
 $FIRST(c) = \{c\}$
 $FOLLOW(\epsilon) = \{\$, \epsilon\}$
 $FOLLOW(d) = \{\$, \epsilon\}$
 $FOLLOW(b) = \{\$, \epsilon\}$

Topic :- LL(1)

	FIRST	FOLLOW
$E \rightarrow TE'$	$\{id, \epsilon\}$	$\{\$, \text{)}\}$
$E' \rightarrow +TE' \mid \epsilon$	$\{+, \epsilon\}$	$\{\$, \text{)}\}$
$T \rightarrow FT$	$\{id, (\}$	$\{+, \$, \text{)}\}$
$T' \rightarrow *FT' \mid \epsilon$	$\{*, \epsilon\}$	$\{id, +, \$, (\}$
$F \rightarrow id \mid (E)$	$\{id, (\}$	$\{*, +, \$, (\}$

Follow(A) = FIRST(B)



	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$	$T' \rightarrow \epsilon$		$T' \rightarrow \epsilon$
F	$F \rightarrow id$			$F \rightarrow id$ (E)		

$E' \rightarrow \epsilon$ → 27th part E' follow agastar varta.

Define LL(1) & LR(K) parser.

LR parser:- A type of bottom up parsers that efficiently handle deterministic context free language in guaranteed linear time.

Left Recursion:-

The production is left recursive if the leftmost symbol on the right side is the same the non terminal on the left side.

$$A \rightarrow A\alpha \mid \beta$$

Left factoring: - Consist in factoring out prefix

which are common two or more production.

Top-Down parsing:

⇒ An attempt to find a leftmost derivation of an input string.

→ Start from root node &

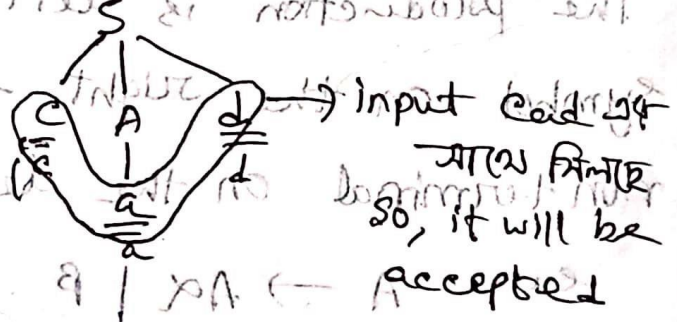
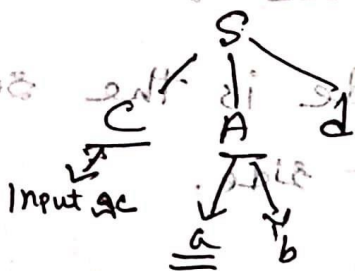
→ May need back tracking

Let us consider the following grammar

$$S \rightarrow CAD$$

$$A \rightarrow abla$$

[Let input string, $w = cad$]



TOP-Down parsing math

Q1

Consider a grammar:-

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow id \mid (E)$$

Q2 Also apply LL(1) for the string $(id+id)$ → Already done

Q3

⇒

Stack	input	production
E\$	id+id\$	$E \rightarrow TE'$
TE'\$	id+id\$	$T \rightarrow FT'$
FTE'\$	id+id\$	$F \rightarrow id$
idTE'\$	id+id\$	$(id) id$ pop
TE'\$	+id\$	$T' \rightarrow \epsilon$
TE'	id	$F \rightarrow id$

Top-down parsing

Stack	input	production
$\epsilon E' \$$	$+id \$$	$E' \rightarrow +TE'$
$+TE' \$$	$+id \$$	POP
$TE' \\$	id	$E' \rightarrow +TE'$
$+TE' \\$	id	$E' \rightarrow +TE'$
$TE' \$$	$id \$$	$T \rightarrow FT'$
$FT'E' \$$	$id \$$	$F \rightarrow id$
$idT'E' \\$	$id \\$	POP
$T'E' \$$	$\$$	$T \rightarrow \epsilon$
$E' \$$	$\$$	$E' \rightarrow \epsilon$
$bi \$$	$\$$	Accepted

Q) Bottom up parsing:-

→ निम्न शक्ति के वाक्य को पार्सिंग करें।

→ Right side वाक्य

Ex:-

$$E \rightarrow E + T$$

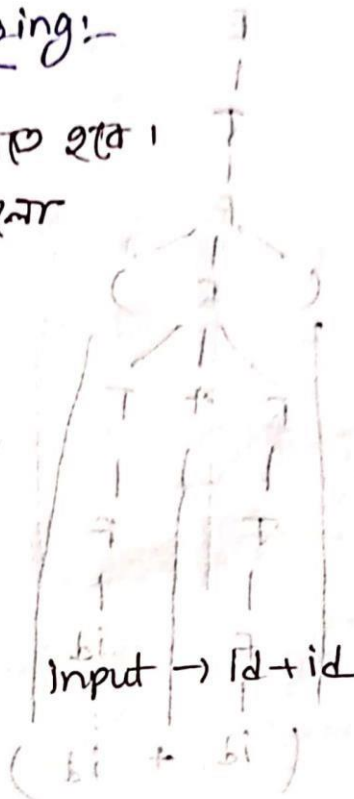
$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow id$$



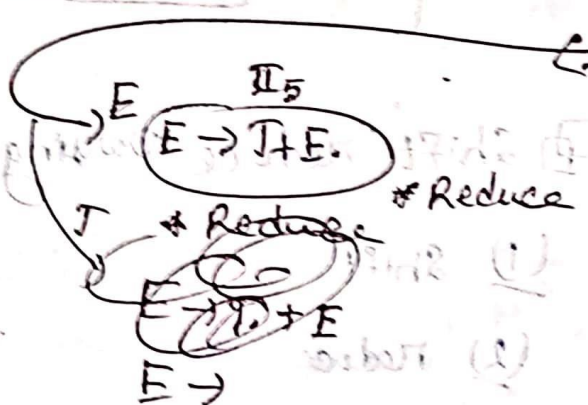
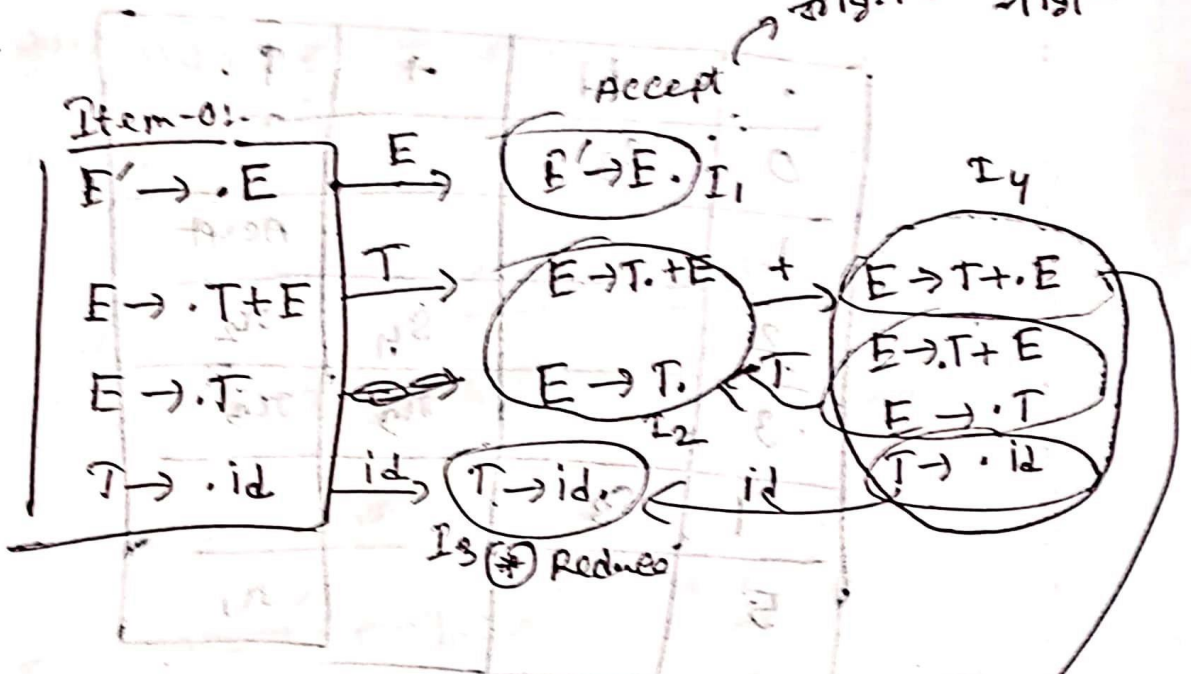
<u>Solution</u>	<u>Rules used</u>	<u>Right sentential Form</u>
	$E \rightarrow T$	(E)
	$T \rightarrow F$	(T)
	$F \rightarrow (E)$	(F)
	$E \rightarrow E + T$	(E)
	$E \rightarrow T$	$(E + T)$
	$F \rightarrow id$	$(E + F)$
	$E \rightarrow T$	$(E + id)$
	$T \rightarrow F$	$(T + id)$
$E \rightarrow T$	$F \rightarrow id$	$(F + id)$
		$(id + id)$

LR(0) :-

$$E \rightarrow T + E / T$$

$$T \rightarrow id$$

Solution:



State	id + \$	E	T
0	S ₀	1	2
1	Accept		
2	π ₂ (S ₄ /π ₂) π ₂		
3	π ₃ π ₃ π ₃		
4	S ₃	5	2
5	π ₁ π ₁ π ₁		

Here, for state 2 S₄/π₂ That means it is not LR(0).

④ SLR(1):-

Using prev en:-

7	id	+	\$
0	S ₃		
1			Accept
2		S ₄	r ₂
3		r ₃	r ₃
4	S ₃		
5			r ₁

Shift reduce parsing can make 4 things

- (1) Shift
- (2) Reduce
- (3) Accept
- (4) Error

2 more things: (1) Stack

(2) Input Buffer

2 conflict:- (1) SLR
(2) RR

LR(0) :-

4 Br Rule:-

(1) Find augmented grammar

(2) $I_0 =$ closure

(3)

part-B (meth part)

Syntax Directed Definition:-

SDD = Grammar + Attribute

$E \rightarrow T + F$

Theory (part A)

Shift Reduce parsing:-

→ process of reducing a string w to the start

symbol of a grammar

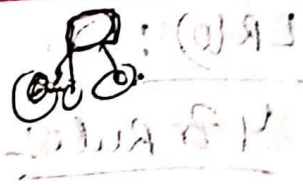
→ A particular substring matching RHS of a

production rule is replaced by the symbol

on the LHS of the production.

ens. - LR parsing.

part-B



Synthesized Attribute!

→ If its value at a parent node can be determined from attributes of its children.

Inherited Attributes - The value of an inherited attribute

is determined from the value of attributes at the sibling & parent of that node.

DAG A directed acyclic graph for an expression identified the common sub-expression in the expression.

Code Generator & its issue

Code generator -

→ Final phase of compiler

→ Takes input an intermediate representation of the source code. And produce equivalent output for that.

Issues:

- (i) Input to CG
- (ii) Target program
- (iii) Memory management
- (iv) Instruction Selection
- (v) Register allocation
- (vi) evolution order
- (vii) Approaches to code generator

(F) Type checks: Compiler should report an error if an error of an operator applied to an incompatible operand. This is called type checking.

[S-R, R-R, Intermediate code generator diagram, front, end, back end

Compiler]

(F) S-R Conflict: - S shift reduce comp conflict.

Compiler কুমার করতে না মে shift use শত।
Reduce use শত। এই দুই কিনিম এক শয়
কালে এক S-R conflict বলে।

(F) R-R conflict: - Reduce - Reduce conflict এক

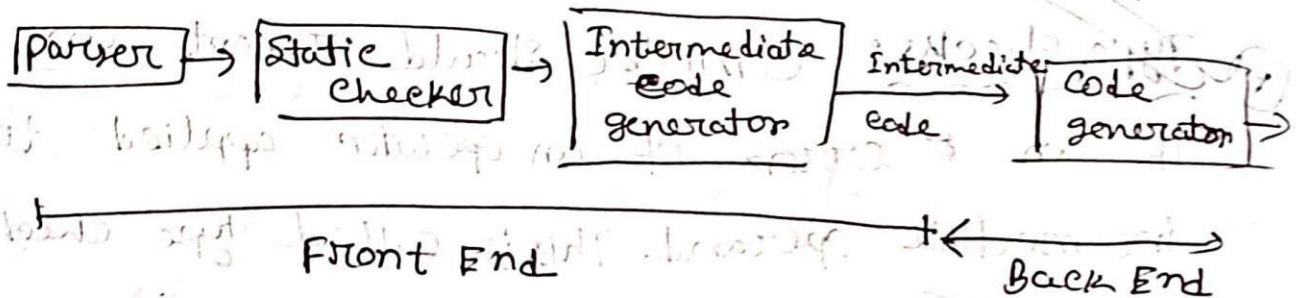
শয় কালে এক R-R conflict বলে। →

ଆମ ଲୋକା ହେଉ ବାବତେ LR(0) କି ମାଟ୍ରିକାଲ୍ SLR use କରା ହୁଏ ।

② Intermediate Code Generator Diagram:

①) ~~Easier to apply source~~

②) process of converting source code into an intermediate representation that is easier for compilers to analyze & optimize before generating target code.



③ Front end:- Translates source code into an intermediate representation

④ Back end:- Uses representation to produce code in a computer output language.

Part-B (Math)

Syntax Directed Definition:

SDD = Grammar + Attribute

$$E = T + F$$

$$F \rightarrow T$$

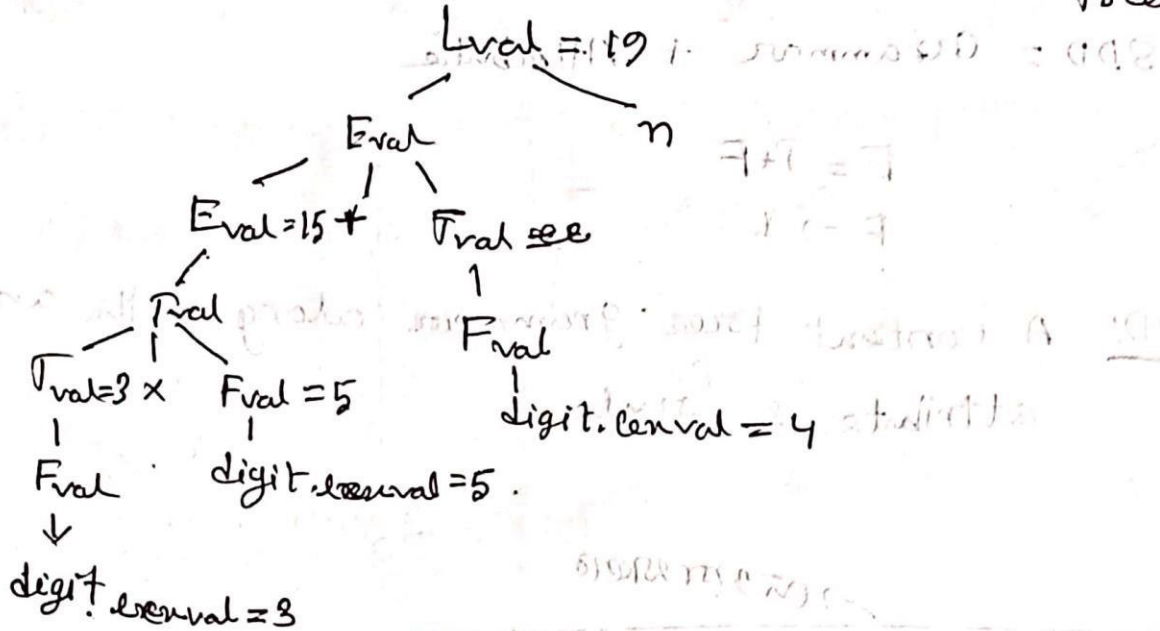
SDD: - A context free grammar along with an attribute & rule.

Grammar	Semantic Rule
$L \rightarrow E$	$L_{value} \rightarrow E_{value}$
$E \rightarrow E + T$	$E_{val} \rightarrow E_{val} + T_{val}$
$T \rightarrow T \times F$	$T_{val} \rightarrow T_{val} \times F_{val}$
$T \rightarrow F$	$T_{val} \rightarrow F_{val}$
$F \rightarrow (E)$	$F_{val} \rightarrow E_{val}$
$F \rightarrow digit$	$F_{val} \rightarrow digit$

④

③ $3 \times 5 + 4n$

Parse Tree: - (Annotated parse tree)



Construction of Syntax tree:

Semantic rule

- 1) $E \rightarrow E + T$
- 2) $E \rightarrow E - T$
- 3) $E \rightarrow T$
- 4) $T \rightarrow (E)$
- 5) $T \rightarrow id$
- 6) $T \rightarrow num$

- $E_{node} = \text{new node}(+, E_{node}, T_{node})$
- $E_{node} = \text{new node}(-, E_{node}, T_{node})$
- $E_{node} = T_{node}$
- $T_{node} = E_{node}$
- $T_{node} = \text{new leaf}(id, id, \text{Entry})$
- $T_{node} \rightarrow \text{new leaf}(num, num.val)$

Three Address Code

Three Address Code

Abstracting

Type checker is a module of a compiler developed to type checking task.

- int
- float

Index array

Type 2 types:-

- static
- Dynamic

DATA

Three Address Code

Is built from two concept address and instruction.

```

do (i = i + 1)
{ i * 8
while (a[i] < n)
    i = t1
    t2 = i * 8
    t3 = a[i] < n
    
```



$a = x * -y / + x * + y$ (Quadruples, Triples, Indirect Triples)

=> three address code:

		OP	arg1	arg2	result
$t_1 = -y$	0	-	y		t_1
$t_2 = x * t_1$	1	*	x	t_1	t_2
$t_3 = -y$	2	-	y		t_3
$t_4 = x * t_3$	3	*	x	t_3	t_4
$t_5 = t_2 + t_4$	4	+	t_2	t_4	t_5
$a = t_5$	5	=	t_5		a

Quadruples - Triple

	OP	arg1	arg2
0	-	y	
1	*	x	(0)
2	-	y	
3	*	x	(2)
4	+	t_2 (1)	(3)
5	=	a	(4)

Indirect triples (101 200 start 200)

101	(0)
102	(1)
103	(2)
104	(3)
105	(4)
106	(5)

④ Basic Blocks

- ① The first three address instruction in the intermediate code generator is a leader
- ② Any instruction that is the target of a conditional & unconditional jump is a leader
- ③ Any instruction that immediately follows a conditional or unconditional is a leader.

(0)	(1)(2)	+	1
(1)	5 (2)	=	2

first ~~is~~ always leader

B1 * (1) $i = 1$

B2 * (2) $j = 1$

B3 * (3) $t_1 = 10 * i$

(4) $t_2 = t_1 + j$

B3 (5) $t_3 = 8 * t_2$

(6) $t_4 = t_3 - 88$

(7) $a[t_4] = 0.0$

(8) $j = j + 1$

(9) IF $j < 10$ goto (3)

B4 * (10) $i = i + 1$

(11) IF $i < 10$ goto (e) -

B5 * (12) $i = 1$

B6 * (13) $t_5 = i - 1$

(14) $t_6 = 88 * t_5$

(15) $a[t_6] = 1.0$

(16) $i = i + 1$

(17) IF $k = 10$ goto (13)

Leader Find out

leader

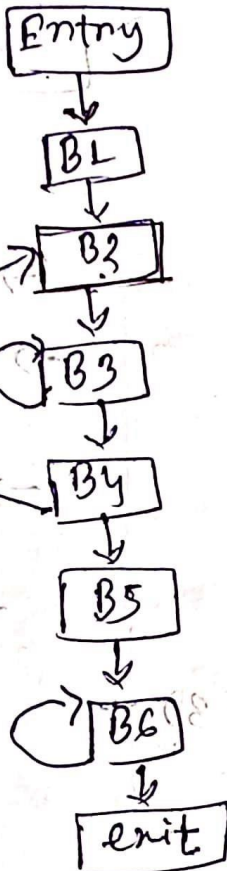
condition check

Block Leader

same block

Process of scheduling a group of the start of a process. ...

Basic Block Diagram



DA: parse tree (min step = 2)

(min step 1)

Instruction cost (Book-8.2.6)

Shift Reduce parsing:

⇒ process of reducing a string to the start symbol of a grammar.

String → the starting symbol.
reduce to